

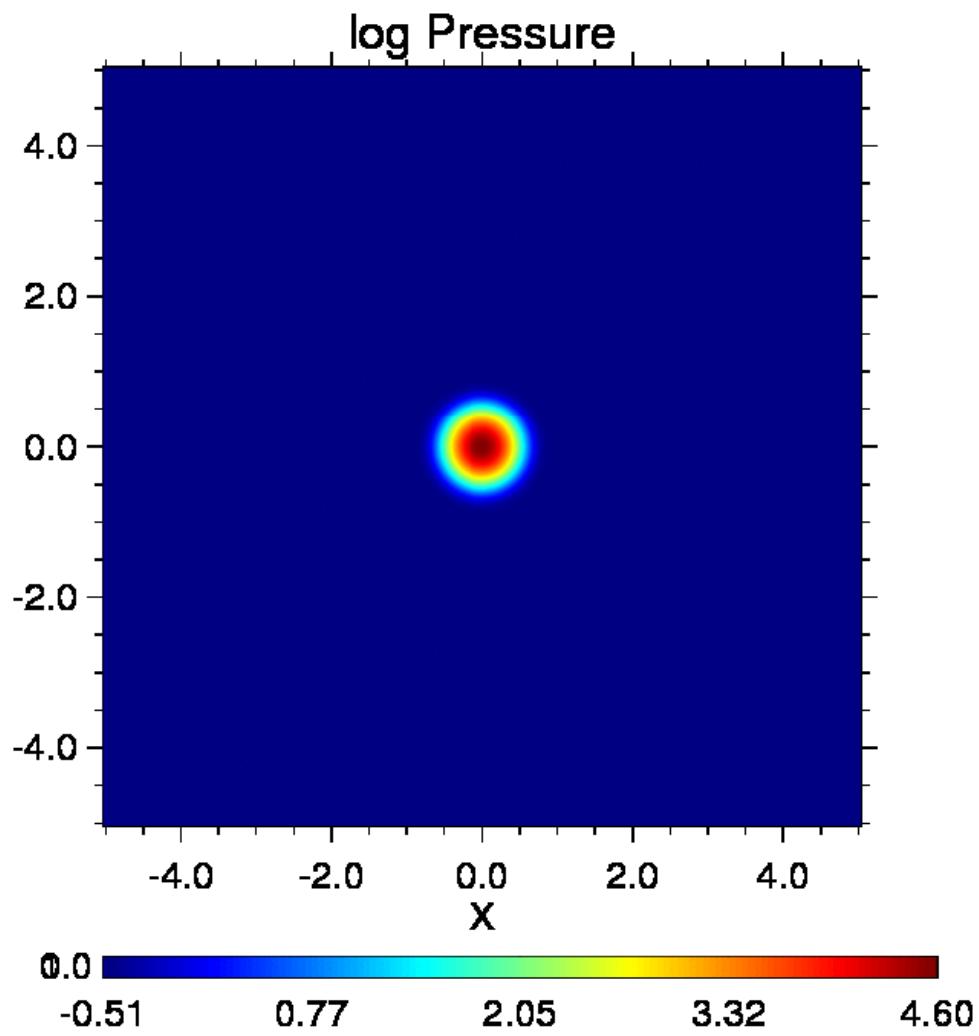
Hinode Seminar @ ISAS  
Apr. 23, 2015

# Prominence Activation by Coronal Fast Mode Shock

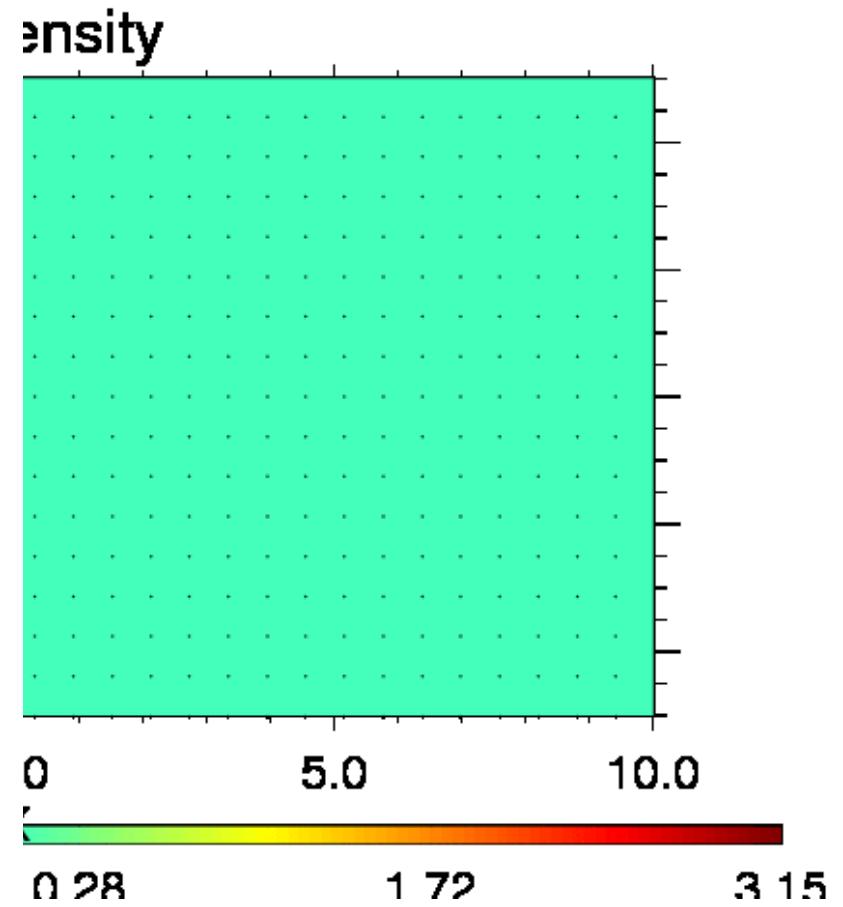
Takuya Takahashi (Kyoto University)

# Shock waves associated with explosions

Point source explosion

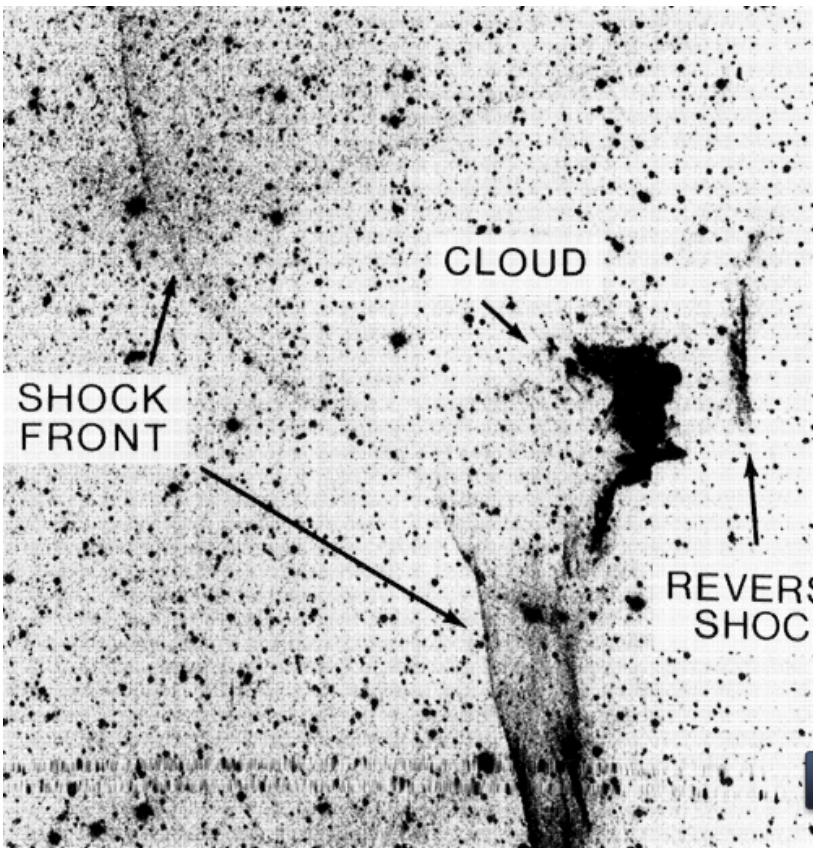


Motion driven shock formation

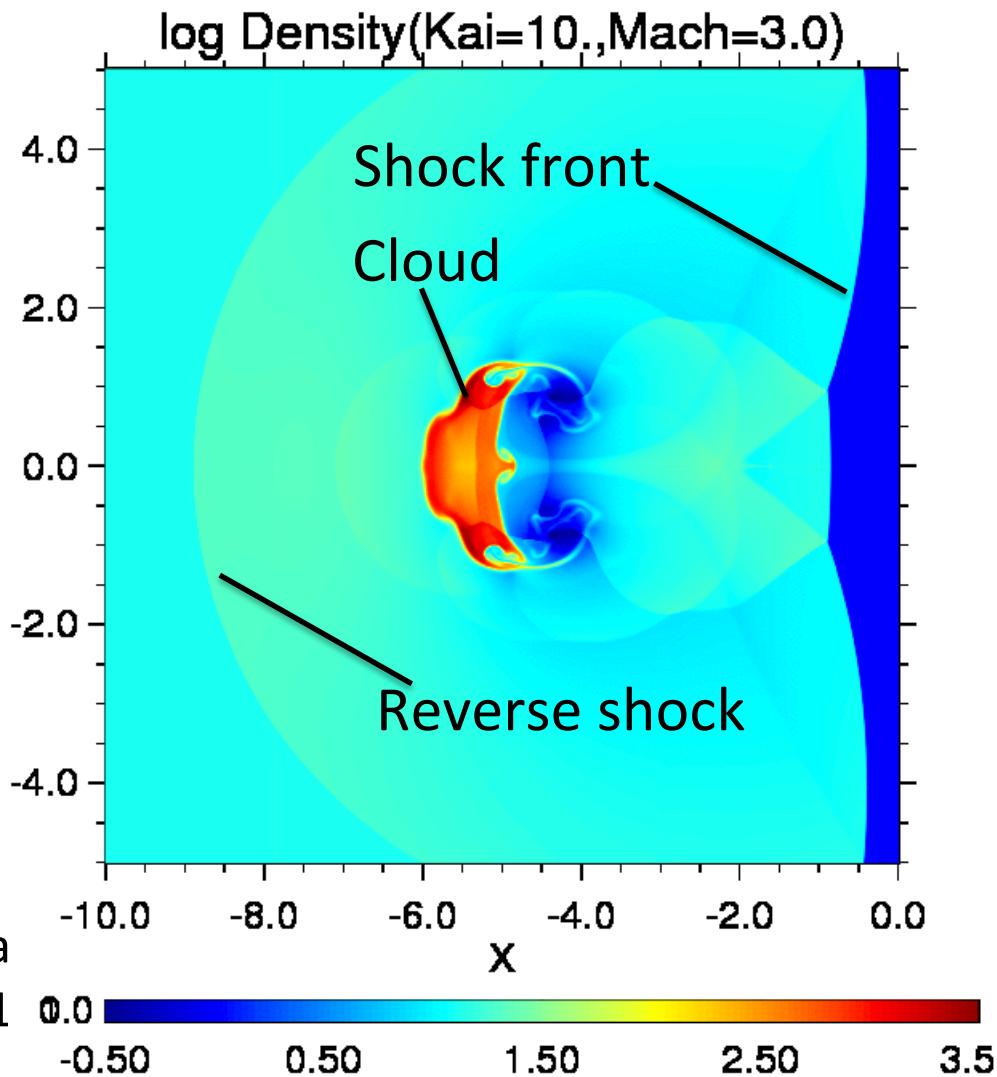


# Shock-cloud interaction in Astronomy

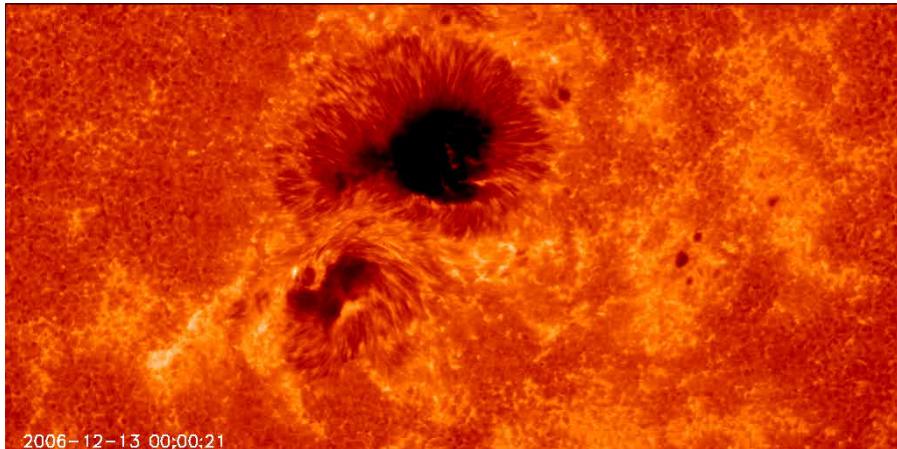
SNR-molecular cloud interaction



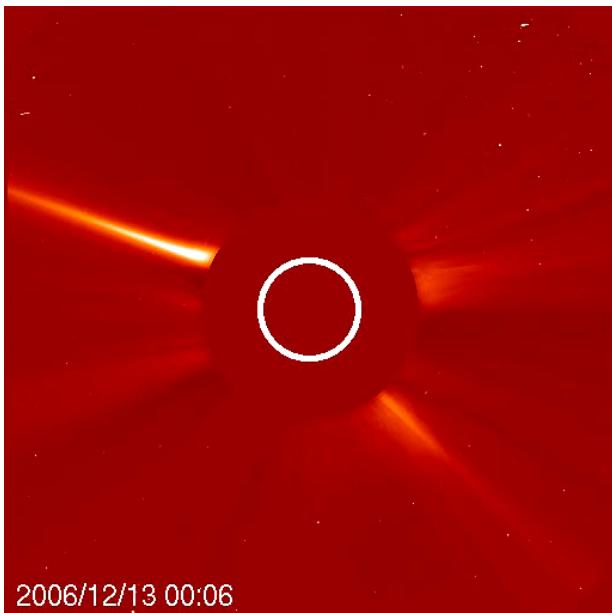
H $\alpha$  image of the Shock-Cloud interaction at the eastern limb of Cygnus loop.(Fesen et al. 1994)



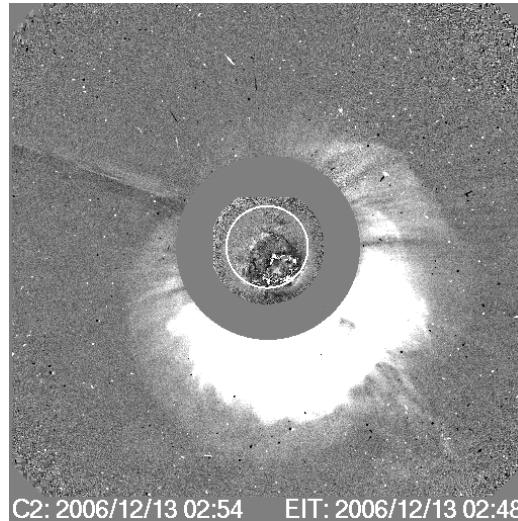
# Shock waves associated with solar flares



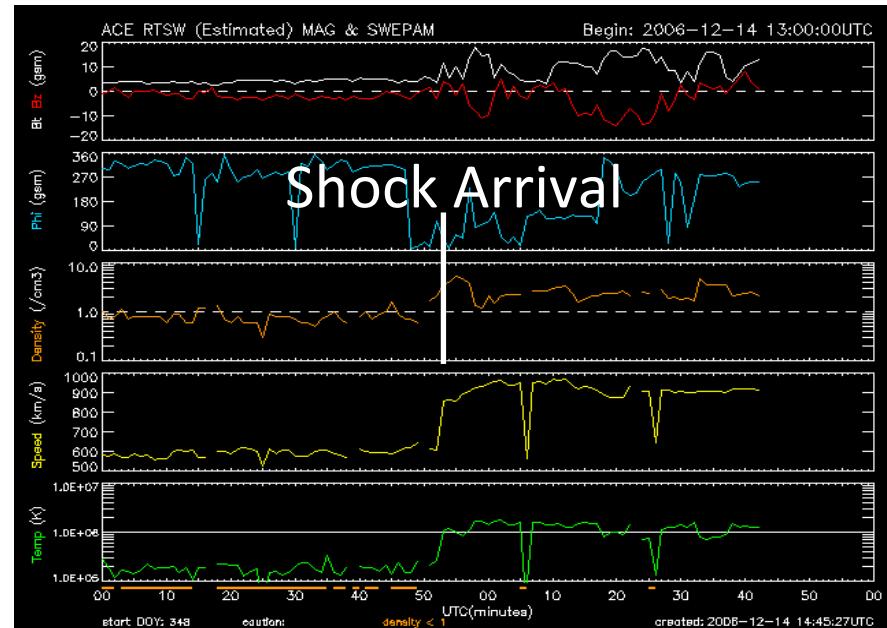
Flare 2006-12-13 (Hinode/SOT Ca)



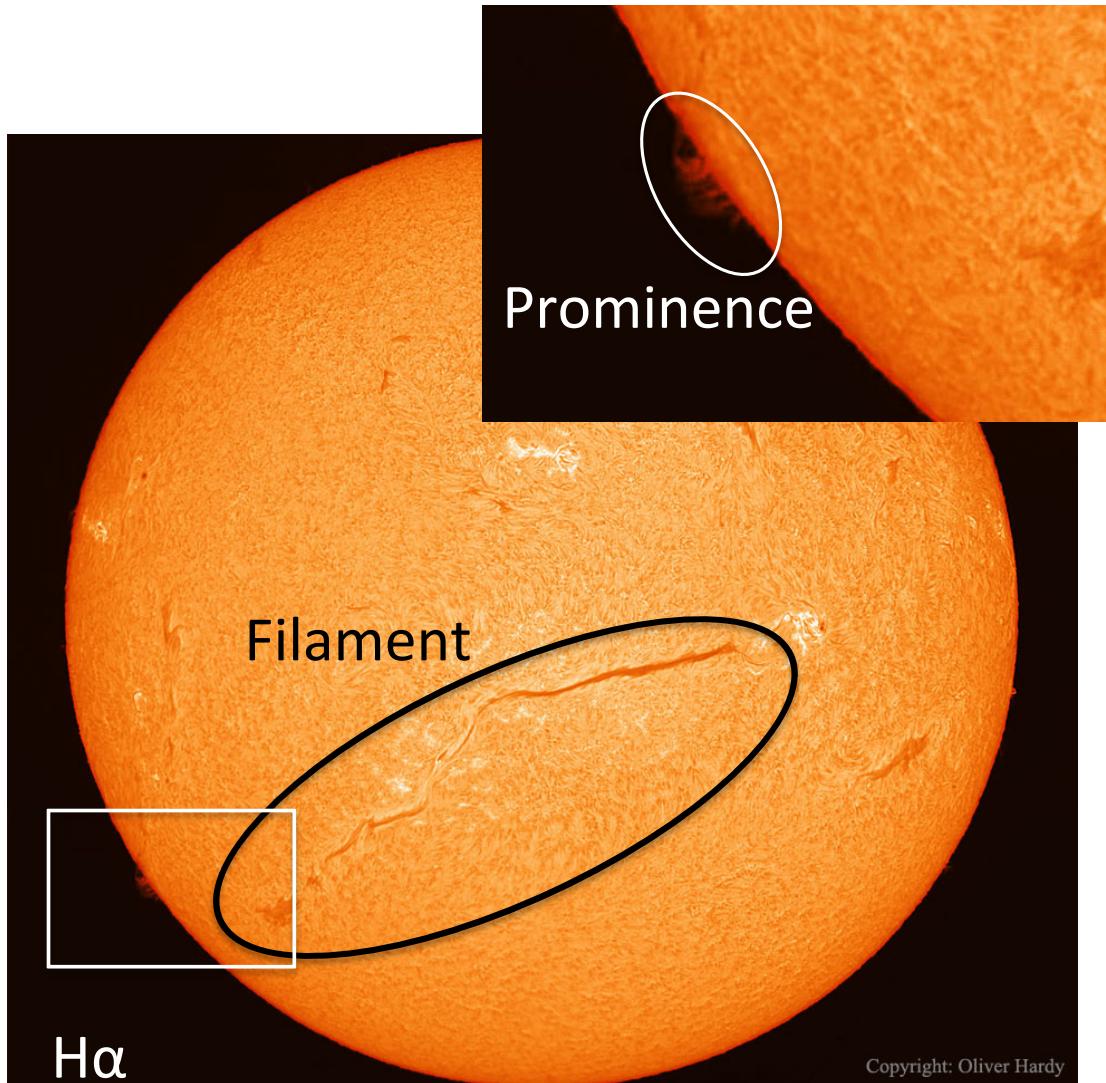
Coronal mass ejection (SOHO/LASCO/C2) Shock signature in Solar wind



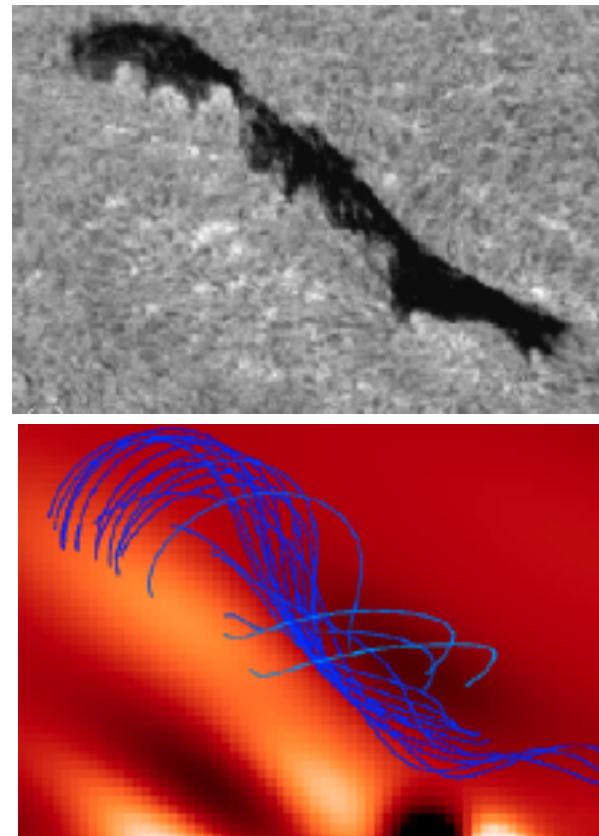
Difference image of LASCO/C2



# “Clouds” on the Sun -Prominence-

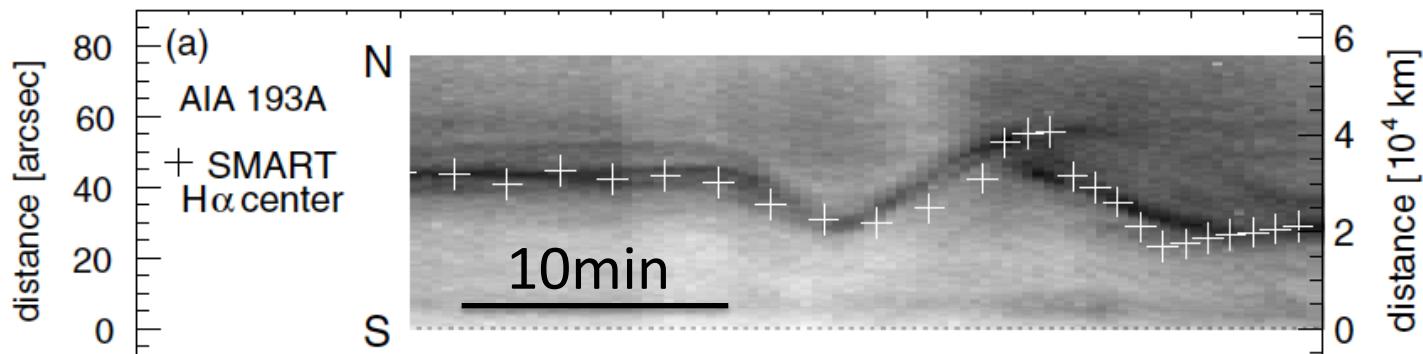
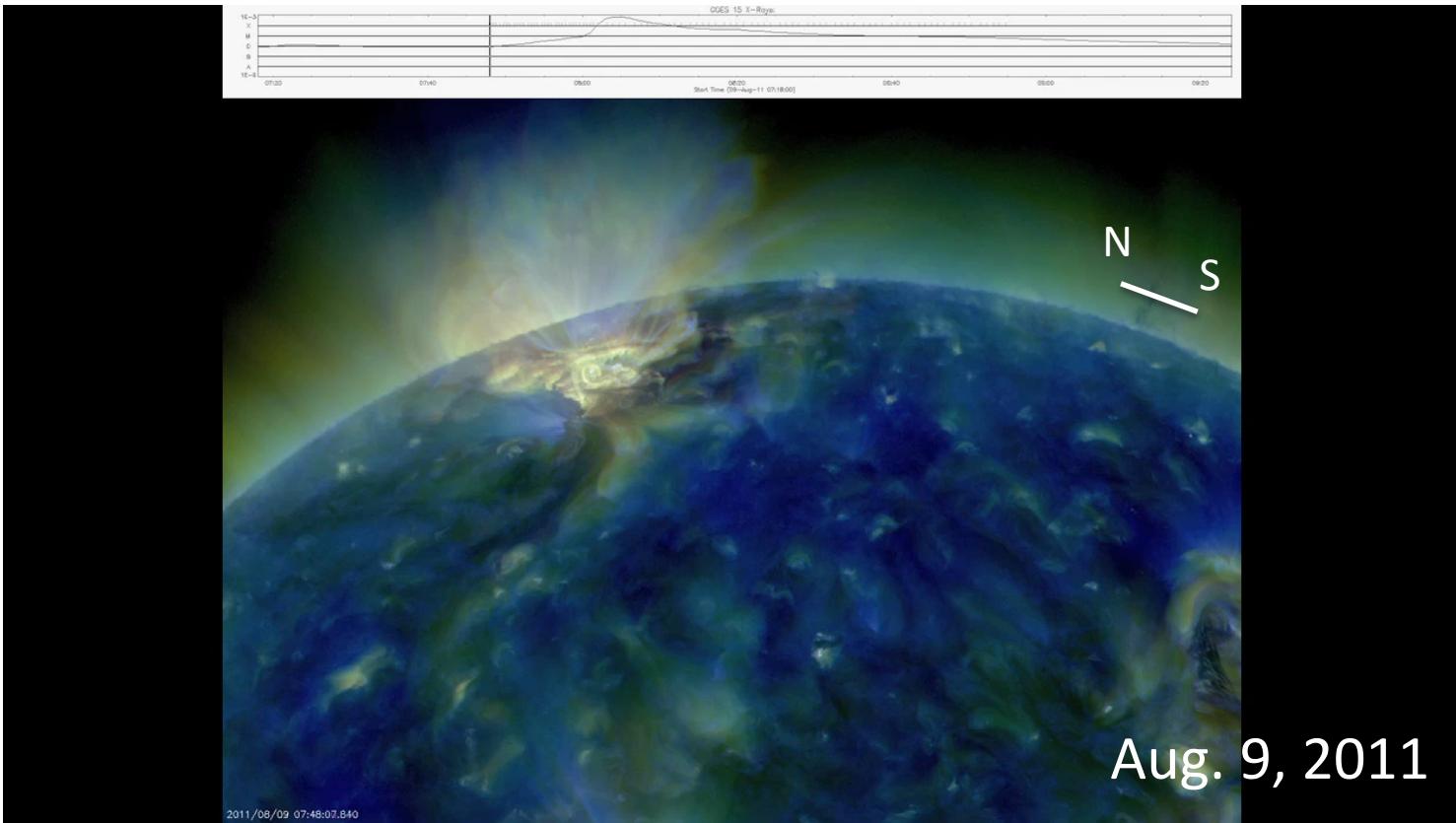


Prominence is Cold and Dense  
 $T_p \sim 10^4 \text{ K} (\Leftrightarrow T_c \sim 10^6 \text{ K})$   
 $n_p \sim 10^{11} \text{ cm}^{-3} (\Leftrightarrow n_c \sim 10^9 \text{ cm}^{-3})$



Yeates et al.(2008)

# Prominence “Oscillation” driven by Shock



Asai et al.(2012)

# X5.4 flare with coronal shock

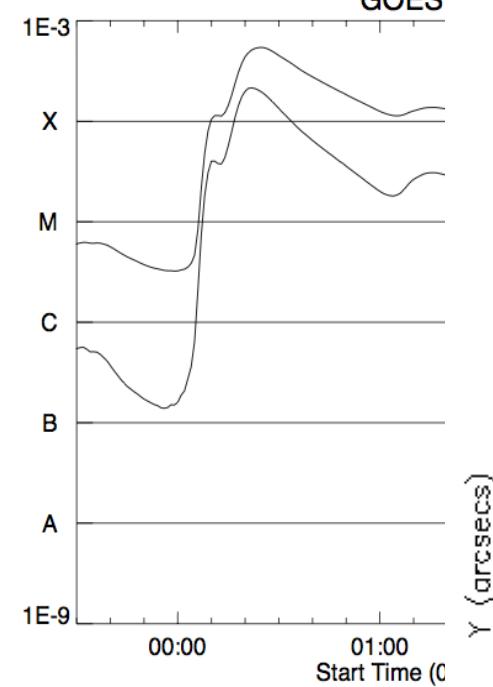
GOES Soft X-Ray light curve  
(March 6, 2012 23:20UT)

March 7, 2012 00:00UT – 02:00UT

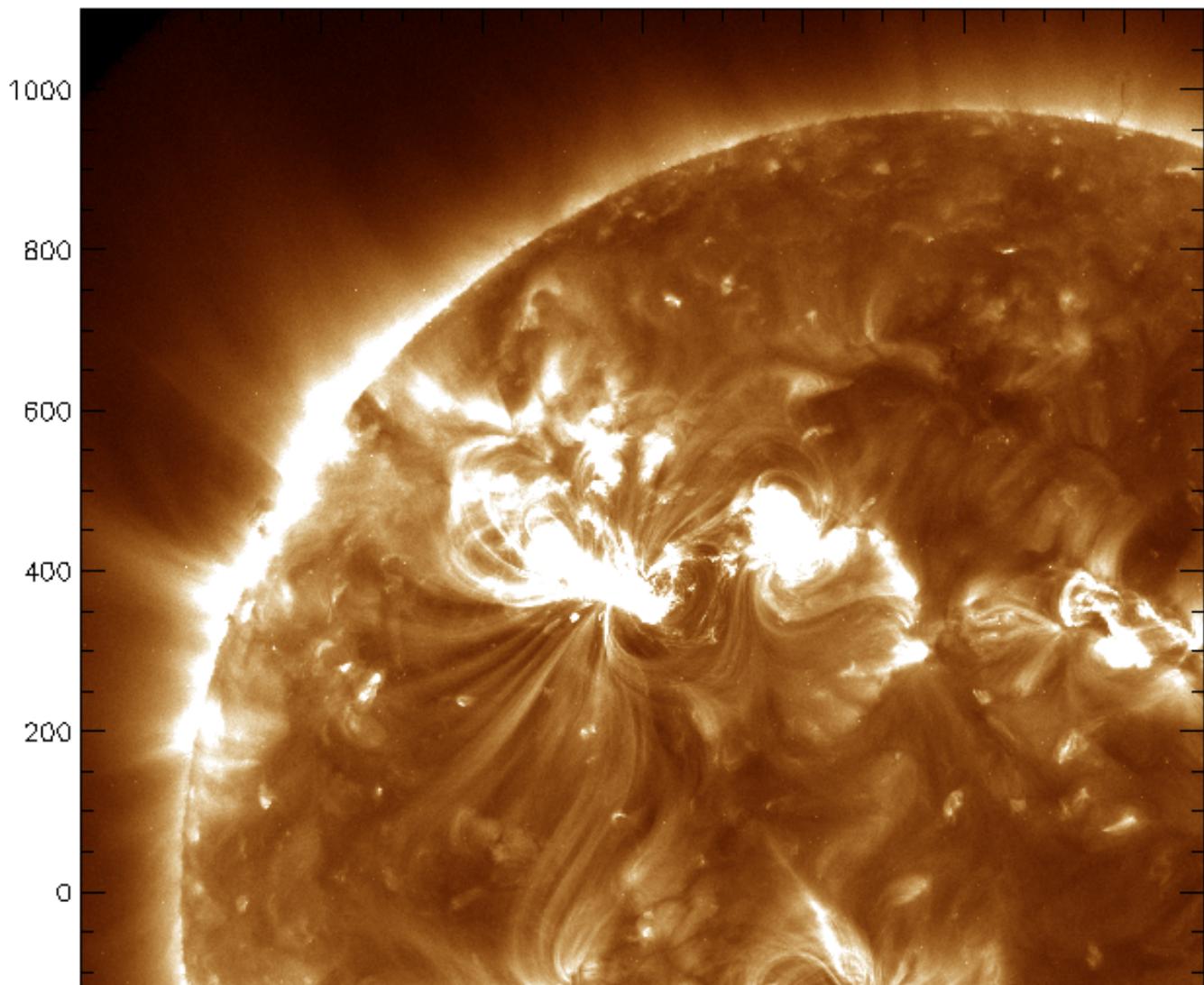
SDO AIA\_2 193 6-Mar-2012 23:59:31.840 UT

-March

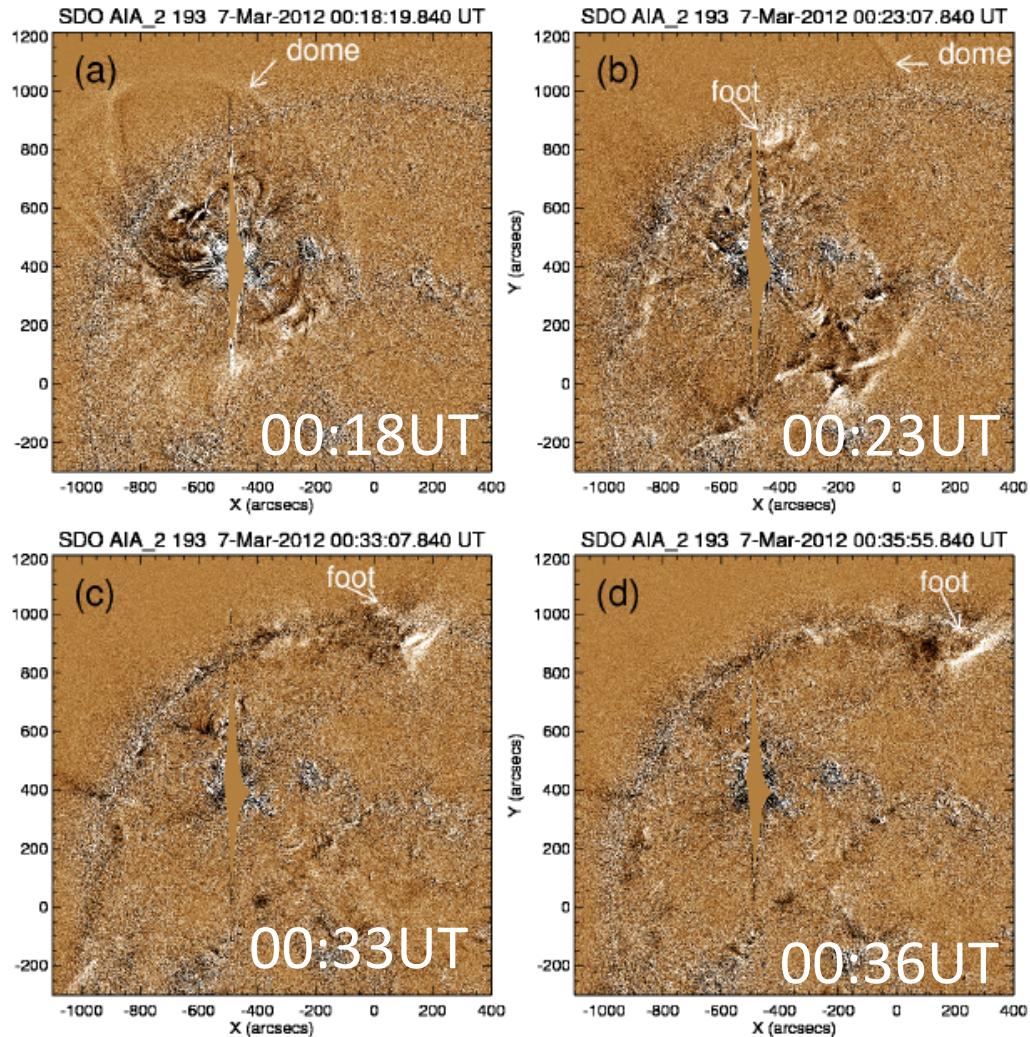
GOES



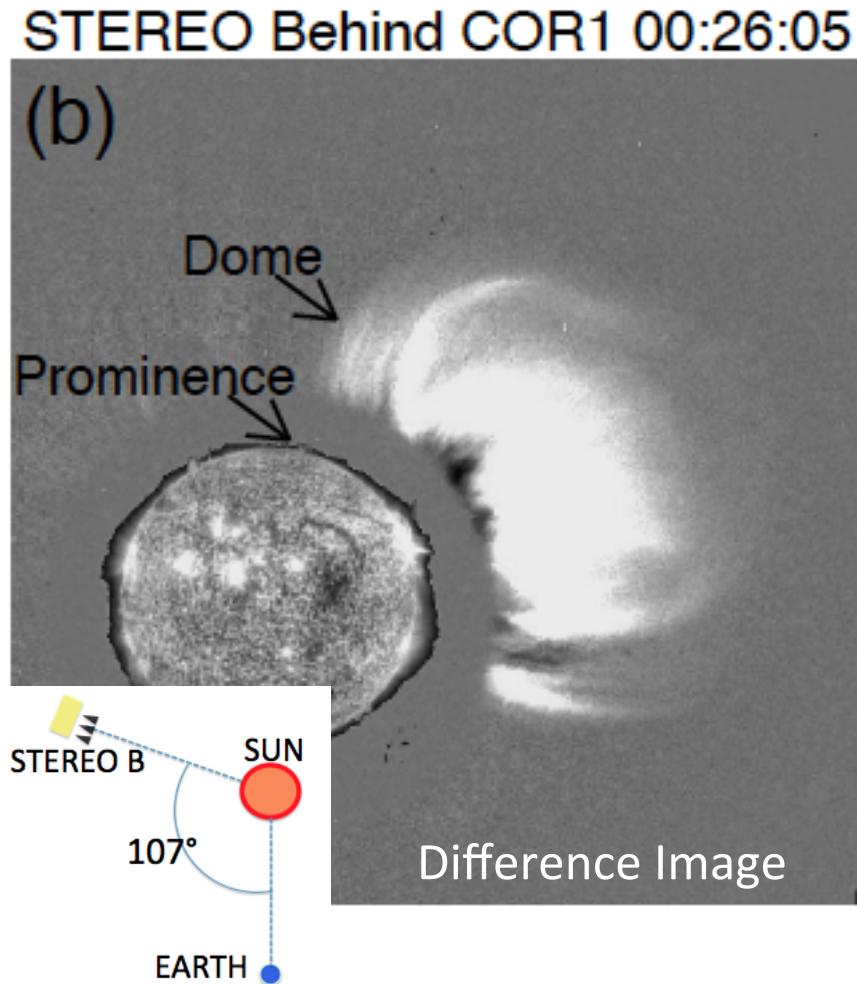
- X5.4 flare  
start 00:04,
- X1.3 flare  
peak 01:14



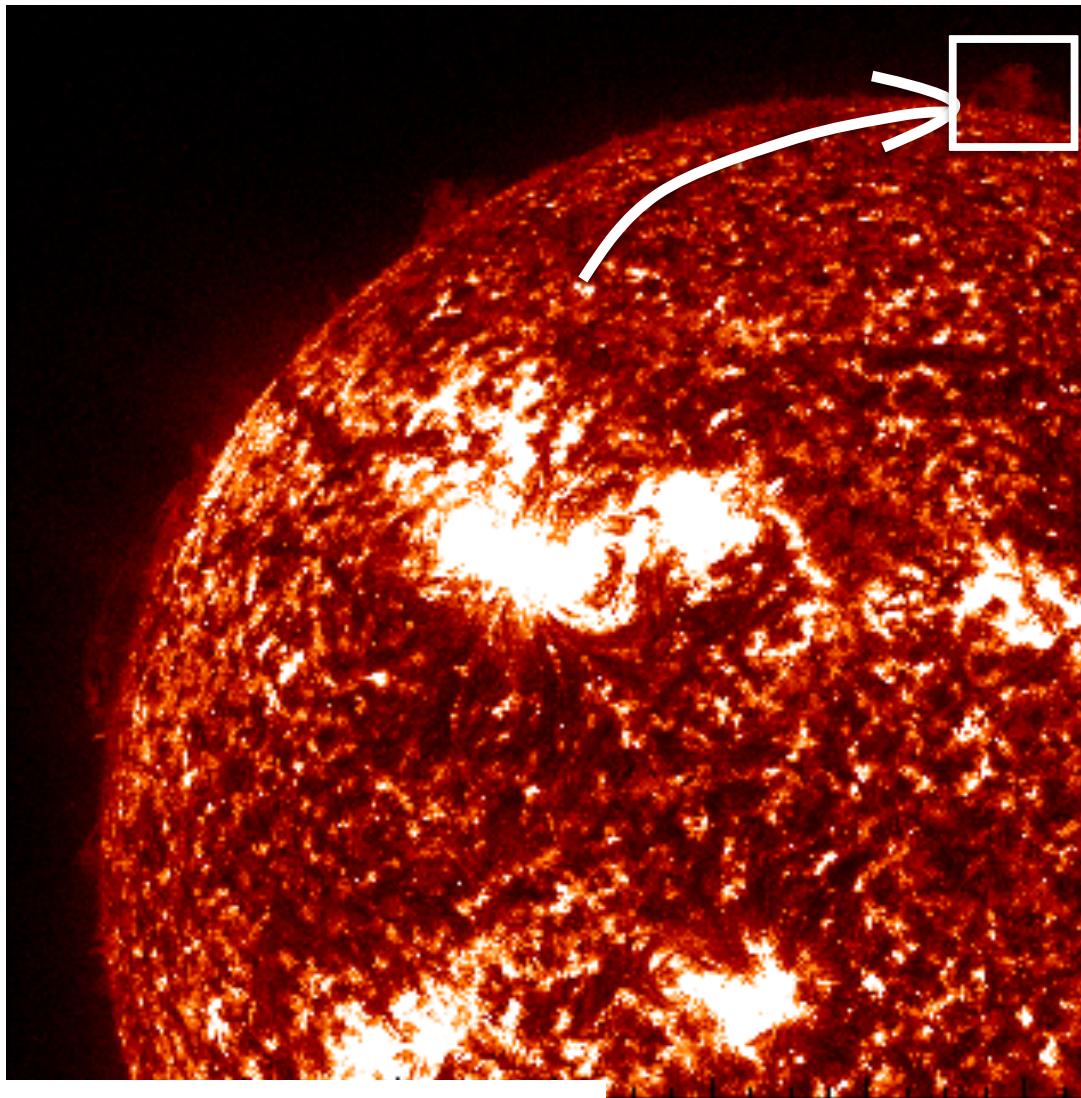
# Evolution of coronal shock



SDO/AIA 193 running difference

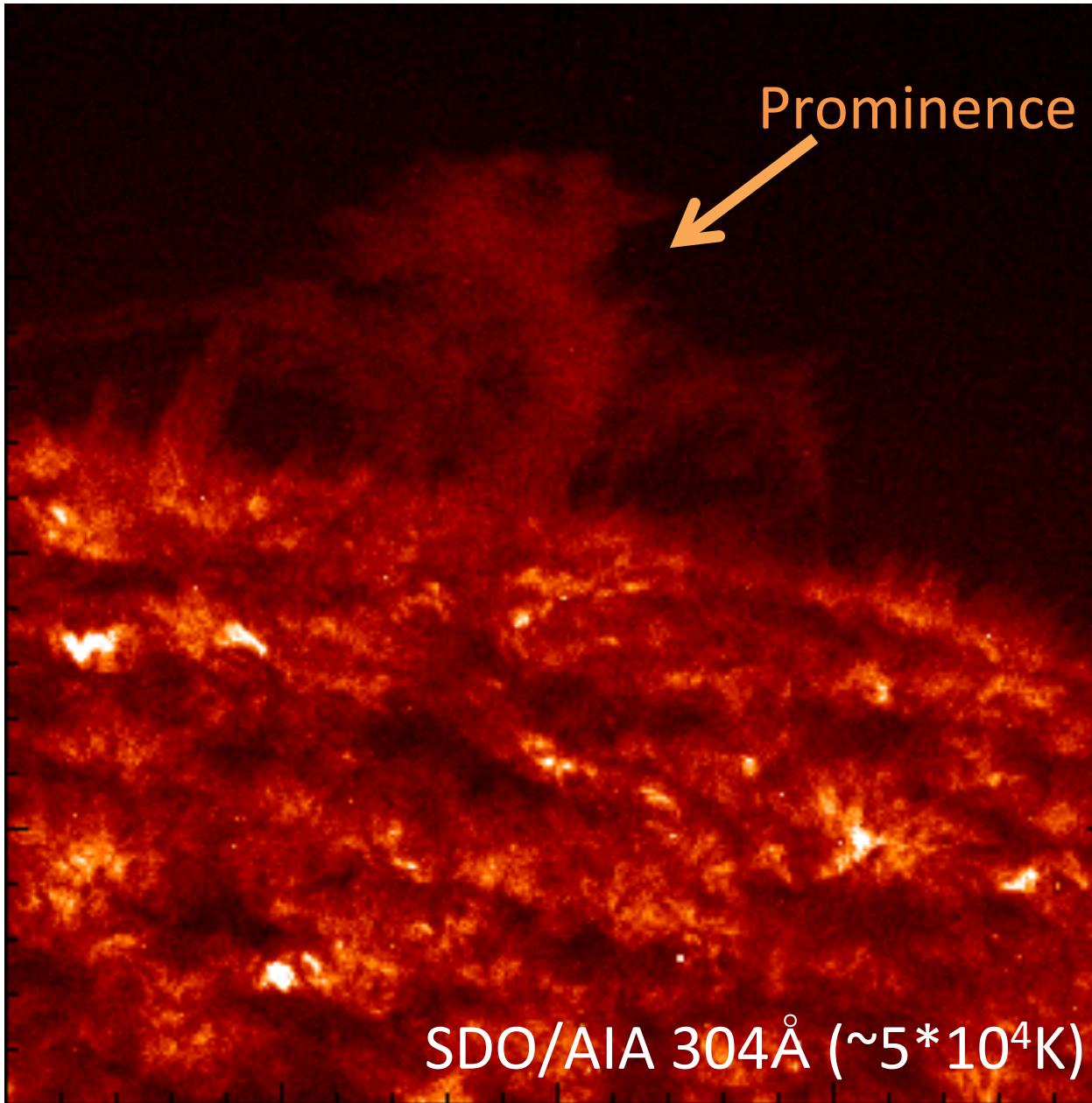


# Coronal shock hit a prominence

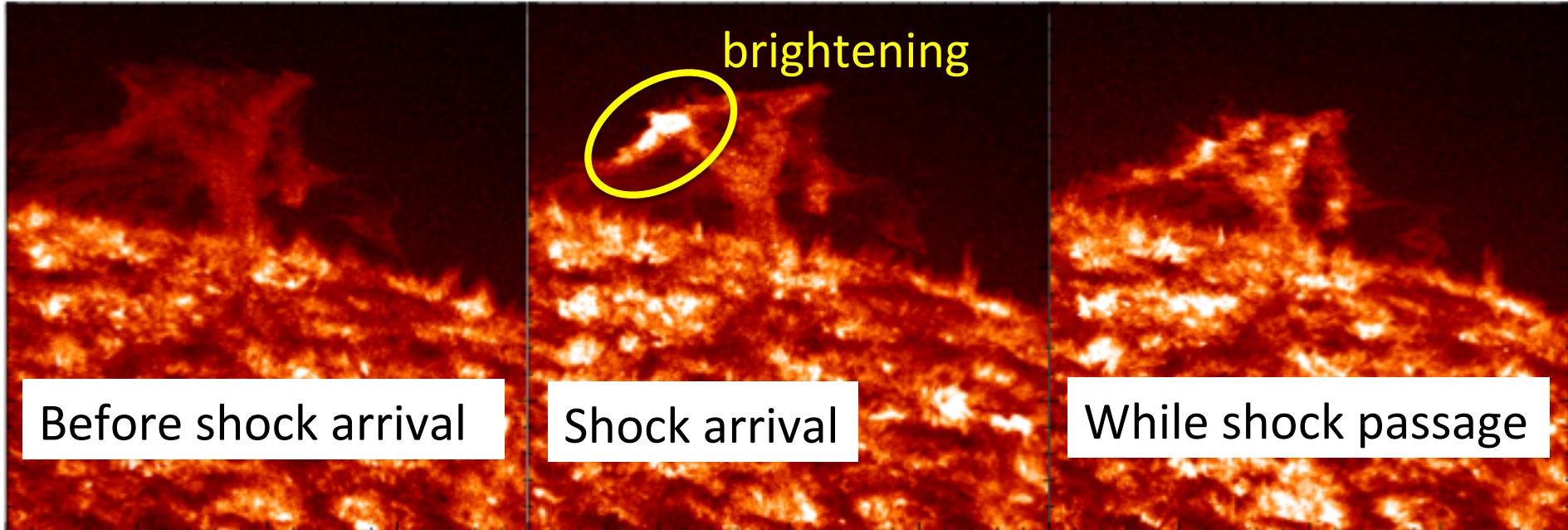


SDO/AIA304Å( $\sim 5 \times 10^4$ K)

# Prominence Activation



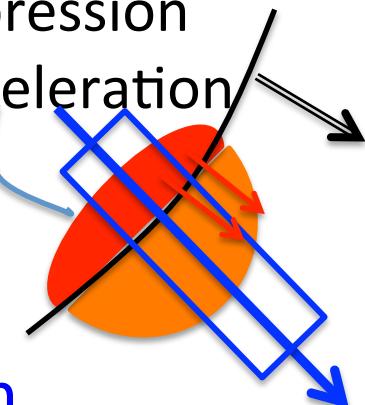
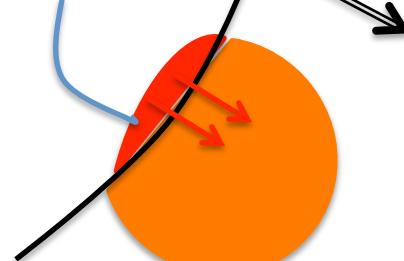
# How fast mode shock wave activate a prominence



Shock Front

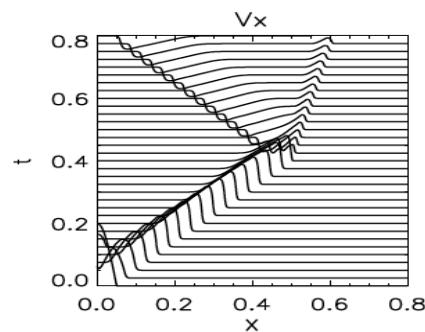
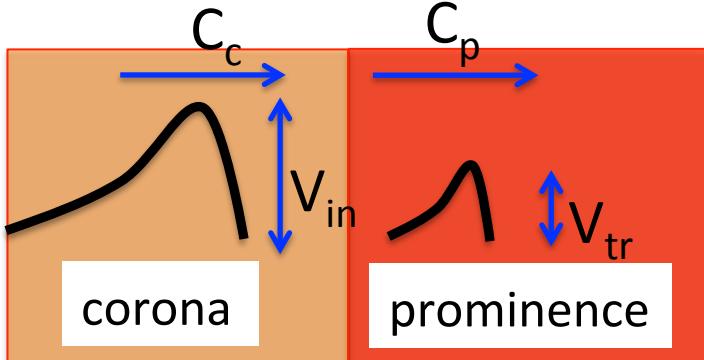
Compressed & Accelerated

Further Compression & Acceleration

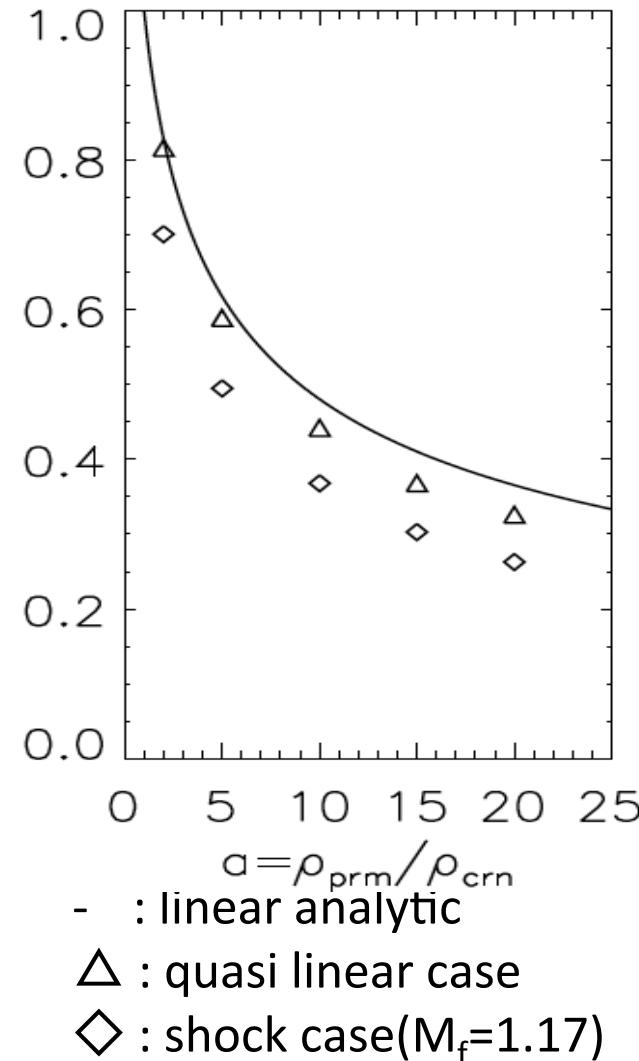


=>1D shock transmission problem

# 1D model of Prominence Activation



Comparison with Numerical simulation



Conservation of Momentum & Energy (linear)

$$\rho_c (V_{in}^2 - V_{rf}^2) C_c = \rho_p V_{tr}^2 C_p$$

$$\rho_c (V_{in} - V_{rf}) C_c = \rho_p V_{tr} C_p$$

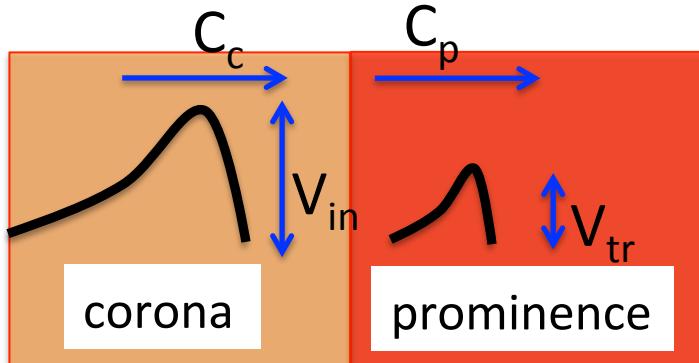


$$T_V = \frac{V_{tr}}{V_{in}} = \frac{2}{1 + \sqrt{a}}, \quad r_{tr} = r_{in} \frac{2\sqrt{a}}{1 + \sqrt{a}}$$

$$a = \frac{\rho_p}{\rho_c} = f_V \chi + (1 - f_V)$$

$$\chi \sim 100, f_V \sim 0.001-0.1 \rightarrow a = 1.1 \sim 10.9$$

# Coronal shock quantity estimation



$$M_{f,in} = \sqrt{\frac{2r_{in} ((2 - \gamma) r_{in} + \gamma (\beta_c + 1))}{((\gamma + 1) - r_{in} (\gamma - 1)) (\gamma \beta_c + 2)}}$$

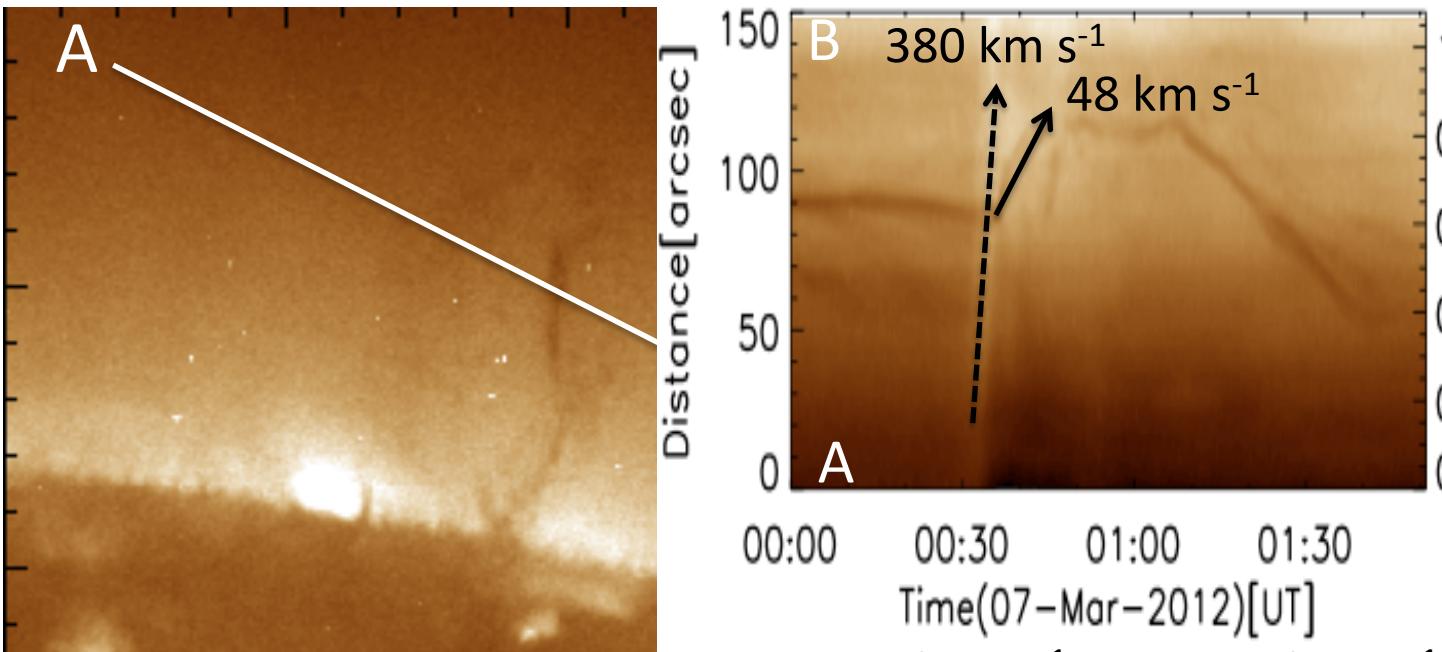
Activated  
Prominence

$$r_{in}^{-1} = \frac{C_c - V_{in}}{C_c} \rightarrow r_{in}^{-1} = 1 - \frac{1 + \sqrt{a} V_{tr}}{2} \frac{C_c}{C_c}$$

Coronal  
Shock Front

$$T_V = \frac{V_{tr}}{V_{in}} = \frac{2}{1 + \sqrt{a}}$$

# Estimation of $M_f$ with prominence activation



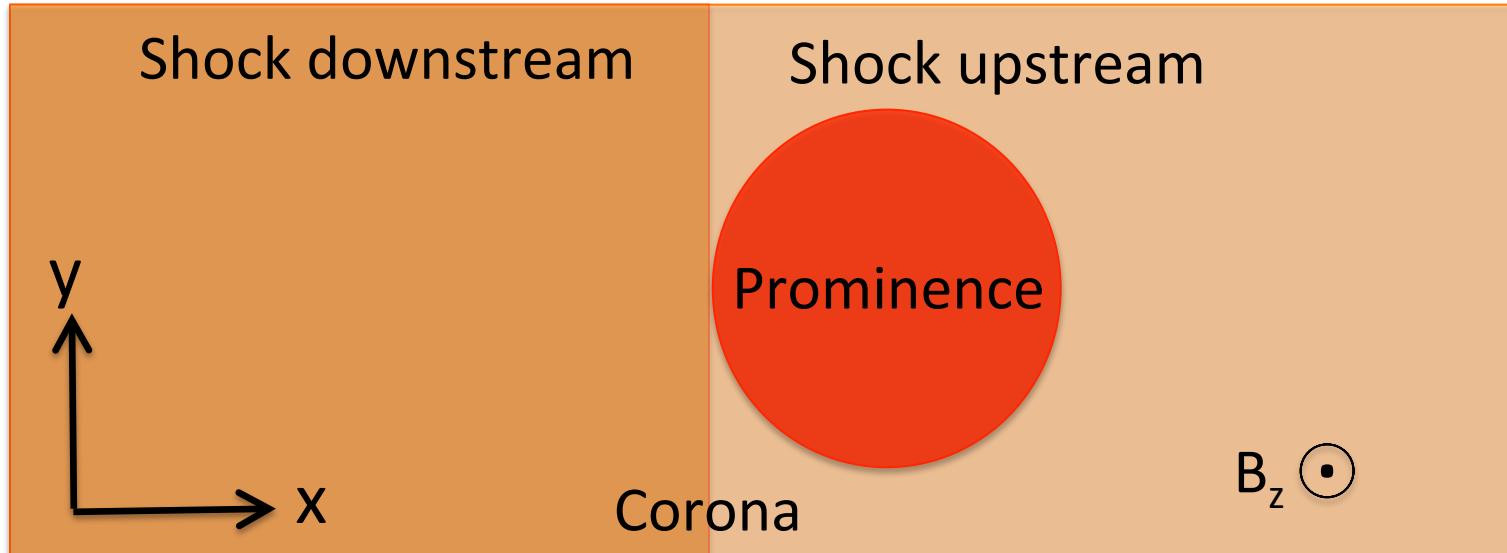
$$C_c = 380 \text{ km } s^{-1}, V_{tr} = 48 \text{ km } s^{-1}$$



$f_V^a$	$\beta_c^b$	$r_c^c$	$r_p^d$	$M_{f,c}^e$
0.001.	0.05	1.15	1.18	1.11
0.001	0.20	1.15	1.18	1.11
0.01	0.05	1.18	1.38	1.14
0.01	0.20	1.18	1.38	1.13
0.1	0.05	1.37	2.11	1.29
0.1	0.20	1.37	2.11	1.29

Takahashi et al.(2015)

# 2D Modeling of Prominence Activation



2D Ideal MHD equations

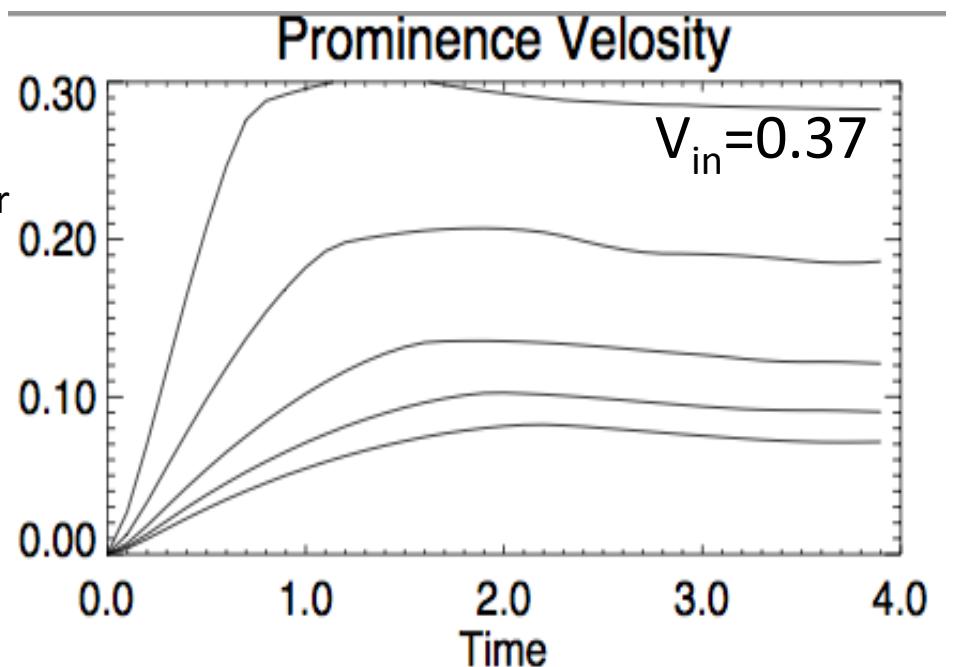
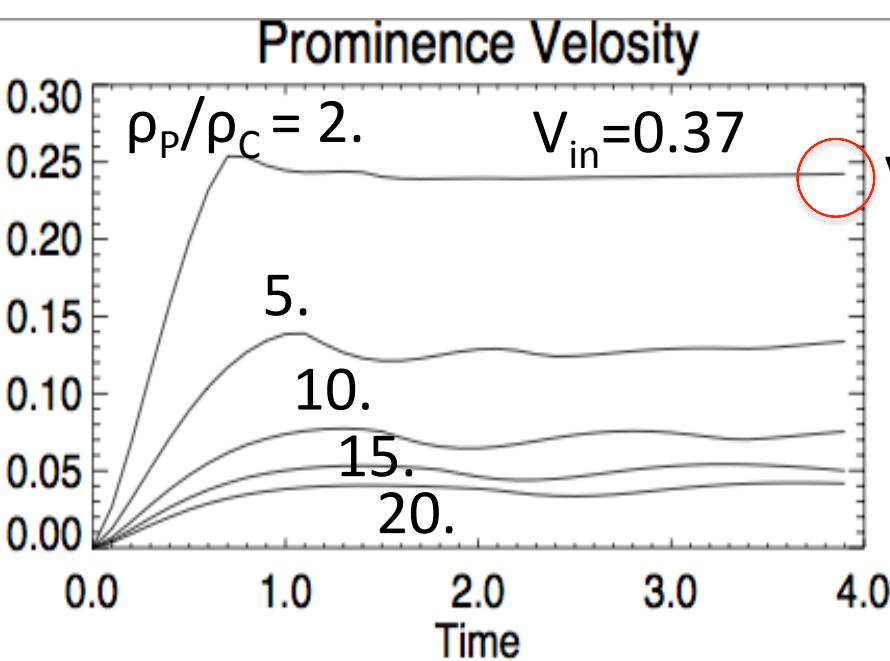
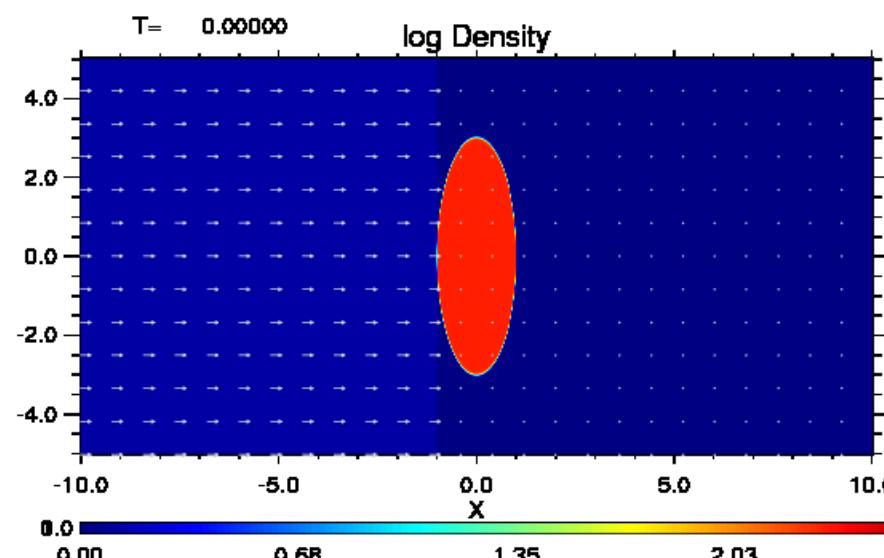
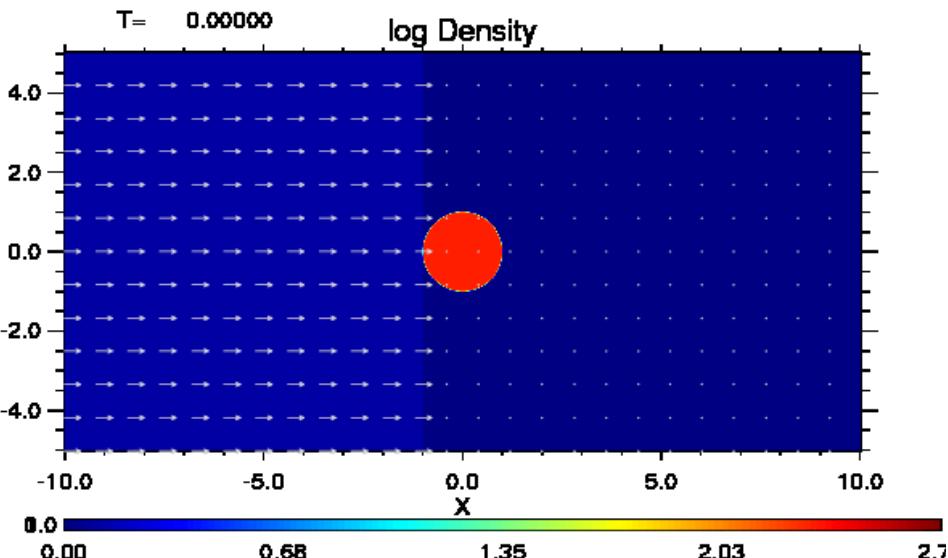
$$\begin{aligned}\frac{\partial \rho}{\partial t} &= -\frac{\partial}{\partial x}(\rho V_x) - \frac{\partial}{\partial y}(\rho V_y) \\ \frac{\partial}{\partial t}(\rho V_x) &= -\frac{\partial}{\partial x}(\rho V_x^2 + p + \frac{1}{8\pi}B_z^2) - \frac{\partial}{\partial y}(\rho V_x V_y) \\ \frac{\partial}{\partial t}(\rho V_y) &= -\frac{\partial}{\partial y}(\rho V_y^2 + p + \frac{1}{8\pi}B_z^2) - \frac{\partial}{\partial x}(\rho V_x V_y) \\ \frac{\partial B_z}{\partial t} &= -\frac{\partial}{\partial x}(V_x B_z) - \frac{\partial}{\partial y}(V_y B_z) \\ \frac{\partial e}{\partial t} &= -\frac{\partial}{\partial x}(h V_x) - \frac{\partial}{\partial y}(h V_y)\end{aligned}$$

Parameters;

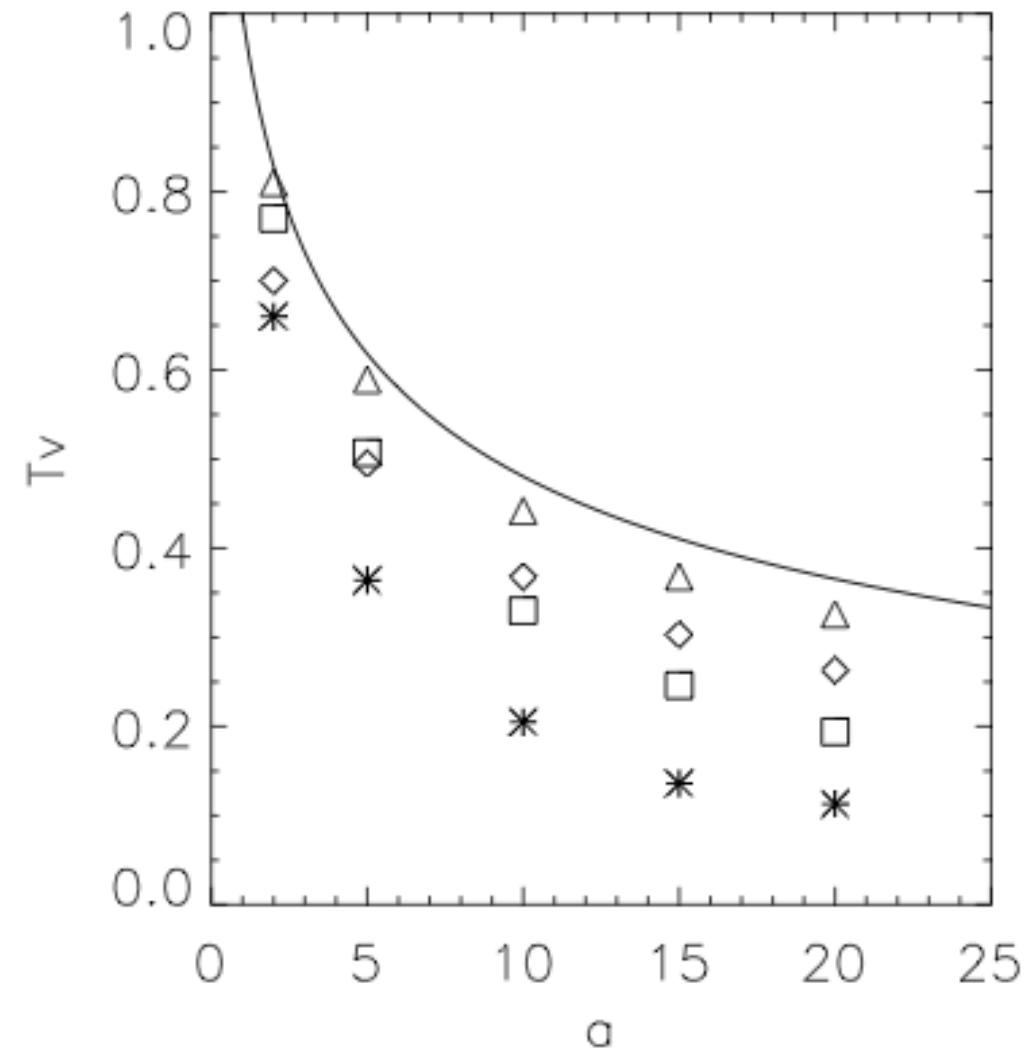
$$M_f = 1.07, \beta = 0.2$$
$$a = \rho_p / \rho_c = 2, 5, 10, 15, 20$$

$$e = \frac{1}{2}\rho(V_x^2 + V_y^2) + \frac{p}{\gamma - 1} + \frac{1}{8\pi}B_z^2$$
$$h = \frac{1}{2}\rho(V_x^2 + V_y^2) + \frac{\gamma}{\gamma - 1}p + \frac{1}{4\pi}B_z^2$$

# Acceleration Profile



# 1D vs. 2D



- : linear analytic
- $\Delta$  : 1D quasi linear
- $\diamond$  : 1D shock ( $M_f=1.17$ )
- $\square$  : 2D shock ( $M_f=1.07$ , elliptical )
- \* : 2D shock ( $M_f=1.07$ , circular )

# Summary

1. Coronal shock wave is associated with a large flare on 3/7/2012.
2. The coronal shock hit a polar prominence and activated it.
3. While the activation, the prominence is strongly brightened.
4. We made shock-cloud interaction model of prominence activation.
5. The model expects that denser the cloud is,  
smaller the velocity will be and also stronger the compression will be.
6. The shape of the cloud is also an important factor which determines  
the acceleration profile of the activated prominence.